A Users Guide to COPS™ **Oscillator Operation**

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The Colpitts configuration is commonly shown in microprocessor oscillator circuits (*Figure 5*) with the inductive X3 replaced by a crystal for reasons we shall soon see. The equivalent electrical model of a crystal is shown in *Figure 4b* and a plot of its Reactance versus Frequency shown in *Figure 4c*. R-L-C represent the electro-mechanical properties of the crystal and C₀ the electrode capacitance. There are 2 important points on the reactance curve labeled f_a and f_b.

At
$$f_a = \frac{1}{2\pi} \sqrt{\frac{1}{LC}}$$

the crystal is at series resonance with L and C canceling each other out leaving only a nonreactive R for 0 phase shift. This mode of operation is important in oscillator circuits where a non-inverting amplifier is used and 0° phase shift must be preserved.

At
$$f_b = \frac{1}{2\pi} \sqrt{\frac{1}{LC} + \frac{1}{LC_C}}$$

which is just a little higher than f_a the crystal is at parallel resonance and appears very inductive or capacitive. Note that the cyrstal will only appear inductive between f_a and f_b and that it becomes highly inductive very quickly. In addition f_b is only a fraction of a percent higher than f_a . Therefore the only time that the crystal will satisfy the X3 = -(X1 + X2) condition in the Colpitts configuration of Figure 5 is when the circuit is oscillating between f_a and f_b . The exact frequency will be the one which gives an inductive reactance large enough to cancel out:

$$X1 + X2 = \frac{1}{\omega C1} + \frac{1}{\omega C2} = \frac{1}{\omega} \left[\frac{1}{C1} + \frac{1}{C2} \right] = \frac{1}{2\pi f} \left[\frac{1}{C_L} \right]$$

Therefore by varying C1 or C2 we can trim slightly the oscillator frequency.



The Q of a circuit is often bounced around in comparing different circuits and can be viewed graphically here as the slope of the reactance curve between f_a and f_b . Obviously the steeper the curve the smaller the variation in f necessary to restore the Barkhausen Phase Shift Criterion. In addition a lower Q (more R) means that the reactance curve won't peak as high at f_b , necessitating a smaller X1 $\,+\,$ X2. When selecting crystals the user should be aware that the frequency stamped on the cans are for either parallel or series resonance, which, although very close, may matter significantly in the particular application.

An actual MOS circuit implementation of *Figure 5* is shown in *Figure 6*. It consists of a MOS inverter with depletion load and the crystal π network just presented. External to the COPS chips are the R_f and R_g resistors. R_f provides bias to the MOS inverter gate V_g = V_o. Since the gate draws no current R_f can be very large (M\Omega) and should be, since we do not wish it to interact with the crystal network. R_g increases the output resistance of the inverter and keeps the crystal from being over driven.



FIGURE 6. MOS Oscillator

Of course the feedback network doesn't have to have the configuration of *Figure 3* and can be anything so long as the Barkhausen Phase Shift Criterion is satisfied. One popular configuration is shown in *Figure 7* where the phase shift will be 180°



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