# Dual Digital Pot Creates Accurate, Temperature-Stable Amp <br> Bonnie C. Baker 

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GRGLE 520


1. The thermal performance of a simple gain circuit using a digital potentiometer in this configuration is typically $800 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$.

Digital potentiometers enable systems designers to program resistive values in the circuit during initial calibration or even later on, during normal operation of the circuit. This ability permits the dynamic alteration of the circuit conditions, creating a "smart" analog system that can respond to the surrounding environment. In fact, the programmability feature seems all too promising; as usual, suspicious analog engineers will expect that this advantage is not for free. And, they are right.

Initial examination of the temperature performance of today's array of digital potentiometers shows that the devices perform with much less accuracy than the standard mechanical potentiometer or discrete resistor combinations. Certainly, the temperature performance of these digital potentiometers is much less than ideal.

But, the clever designer can take advantage of secondary
temperature behavior by using the matching characteristics of these devices. The resistive material of current digital potentiometers is predominantly fabricated with the poly-diffusions (soon to be nichrome) of CMOS processes. Because these resistors are manufactured using poly-diffusions, the resistive elements are not trimmed precisely. Consequently, the initial accuracy of the digital potentiometer from part to part at room temperature

$R_{W A}\left(D_{N}\right)=\left(R_{A B}\right)\left(256-D_{N}\right) / 256+R_{W}$
$R_{W B}\left(D_{N}\right)=\left(R_{A B}\right) /\left(D_{N}\right) / 256+R_{W}$
where
$\mathrm{D}_{\mathrm{N}}=8$-bit code sent to digital pot $\mathrm{R}_{\mathrm{W}}=$ wiper resistance
2. The resistance values of the digital pot can be defined as shown.
is $\pm 30 \%$ maximum. The thermal-drift specifications for these types of diffusions are either 800 or $500 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$, depending on the poly level used for the resistive element. With these specifications, it is easy to see that the simple gain circuit shown will have poor performance over temperature (Fig. 1).

In the circuit in Figure 1, the noninverting gain is established using a standard resistor for R1 and a 256-tap, 100$\mathrm{k} \Omega$ digital potentiometer (an MCP42100 from Microchip Technology) positioned as R2. The gain of this circuit is determined by the ratio of R1 and R2 as stated in the formula in Figure 1. The amplifier (an MCP606) is a single-supply CMOS amplifier with a low offset voltage ( $\pm 250 \mu \mathrm{~V}$, max.) and high input impedance ( 1 pA , typical at $25^{\circ} \mathrm{C}$ ). The lower offset of this amplifier allows for gain changes with a minimal increase in offset errors translating to the output of the amplifier.

The key specifications of the digital potentiometer in Figure 1 in regard to this application are the nominal initial resistance ( $100 \mathrm{k} \Omega \pm 30 \%$, max.) and the change in resistance over temperature ( $800 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$, typical). Both of these specifications can cause a significant error in the system, limiting the applications for this circuit. The nominal resistor values of this digital potentiometer are easily calculated using the formulas shown in Figure 2.
An alternative circuit that addresses both the accuracy and temperature-performance issues of the Figure 1 circuit is shown in Figure 3. In this circuit, a dual digital potentiometer is used to fill

| Programmable Gain Range |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { Digital } \\ & \text { Code } \end{aligned}$ | $\begin{array}{\|c\|} \hline \mathrm{R}_{2}^{*} \\ \text { value } \\ (\mathrm{k} \Omega) \end{array}$ | $\begin{aligned} & \text { Gain* } \\ & \text { (VN) } \end{aligned}$ | $\begin{array}{\|c} \begin{array}{\|l\|l\|} \hline \text { nitiala\| } \\ \text { error } \\ (\%) \end{array} \\ \hline \end{array}$ | $\begin{gathered} \text { Temp. } \\ \text { error } \\ \text { (ppm/C) } \end{gathered}$ |
| 3 | 1.17 | 2.17 | $\pm 1$ | 1 |
| 127 | 49.6 | 50.6 | $\pm 1$ | 1 |
| 255 | 99.6 | 100.6 | $\pm 1$ | 1 |

* assuming RW = 0


3. The intrinsic matching of a dual digital pot is used to achieve an initial gain accuracy of $\pm 1 \%$ (max.) and a typical temperature coefficient of $1 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$.
both resistor positions in the circuit. Since both resistor elements are on the same IC, their nominal matching and temperature-drift characteristics are closely matched.

Now, instead of an initial gain accuracy of $\pm 30 \%$, the initial gain accuracy of the circuit becomes $\pm 1 \%$ maximum. The gain accuracy over temperature is also tightened with this topology from the previous typical performance of $800 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$ to $1 \mathrm{ppm} /{ }^{\circ} \mathrm{C}$.

With a little attention to circuit design detail, the temperature behavior of digital potentiometers can be optimized using these simple design techniques.

# Multiple Serial Devices Interface To The I²C Bus 

The circuit shown can be used to interface multiple serial devices to the $\mathrm{I}^{2} \mathrm{C}$ bus, even if they lack the extended-addressing capability required.

Information transfer between $\mathrm{I}^{2} \mathrm{C}$ devices connected to the $\mathrm{I}^{2} \mathrm{C}$ bus requires two signals: serial data (SDA) and serial clock (SCL). A device connected to the bus can operate as a transmitter or a receiver. A master device initiates a data transfer on the bus, generates clock signals, and terminates the transfer. A device addressed by the master is considered to be a slave. To connect devices on an $\mathrm{I}^{2} \mathrm{C}$ multimaster bus, the SDA and SCL lines must be bidirectional and connected to a positive supply voltage through pullup resistors.

In $\mathrm{I}^{2} \mathrm{C}$-bus addressing, the first byte after a START condition determines the slave selected by the master. The slave address (upper 7 bits) is usually made up of a fixed and a programmable part. The eighth bit (the least significant bit) determines the direction of the transfer: read


Multiple non- $I^{2} \mathrm{C}$-addressable serial devices, like these CAT24W16 serial EEPROMs, can be interfaced to the $I^{2} \mathrm{C}$ bus using Philips PCA9542 I $^{2} \mathrm{C}$ multiplexers.
or write. The programmable part of the slave address determines the maximum number of identical devices that can be connected to the $\mathrm{I}^{2} \mathrm{C}$ bus.

This circuit suits applications in which several devices that lack extended addressing capability (in this case, serial EEPROMs) must be connected over an $\mathrm{I}^{2} \mathrm{C}$ bus. The circuit also proves useful when there is a need to connect more devices than the maximum number allowed by the devices' address pins.

By multiplexing the SDA and SCL bus lines of connected devices, multiple $\mathrm{I}^{2} \mathrm{C}$ devices with the same address can be accessed. The figure shows 16 noncascadable CAT24WC16 EEPROMs accessed by using eight, two-channel I ${ }^{2} \mathrm{C}$ multiplexers. The Philips PCA9542 is a bidirectional, 1 -of-2 multiplexer that is controlled over the $I^{2} \mathrm{C}$ bus. It has three address pins.

The circuit MUXi connects the $\mathrm{I}^{2} \mathrm{C}$ bus lines, SDA/SCL, to either the SDAio/SCLi0 or SDAi1/SCLi1 channel (where $\mathrm{i}=1$ to 8 ). No false conditions
are generated at the time of connection because the channel becomes active when the $\mathrm{I}^{2} \mathrm{C}$ bus lines are in a high state.

The $\mathrm{I}^{2} \mathrm{C}$ bus commands used to
control the hardware are:

1. Send the multiplexer slave address, 1110 xxx (where $\mathrm{xxx}=000$ to 111) with $\mathrm{R} / \mathrm{W}=0$.
2. Send multiplexer command code
to select the channel: $\mathrm{xxxx} \times 100$ for channel 0; xxxx x101 for channel 1.
3. Send or read data to/from the EEPROM connected to the selected channel. $\square$

# C++ Program Offers Versatile Waveform Spectral Analysis Tool 

Frank N. Vitaljic

This idea presents a $\mathrm{C}++$ program that uses the complex class, which enables complex arithmetic. The Discrete Fourier Transform (DFT) is applied to the waveform stored in a disk file-a real sequence of double-precision floating-point binary values. (The program listing is available at www. PlanetEE. com. Follow the Ideas for Design link.)
The function $\mathrm{dft}($ ) performs a DFT on the real sequence of N samples in Datain(n) and outputs the resulting spectra in the complex array Dataout( $k$ ). The program is set up for a 1024-point DFT; however, this can be altered by revising MAXPTS.

The transform is given by:

$$
\text { Dataout }(k)=\frac{1}{F_{S}} \sum_{n=0}^{N-1} \operatorname{Datain}(n) e^{-j 2 \pi \frac{k n}{N}}
$$

for $\mathrm{k}=0$ to $\mathrm{N}-1$ and $\mathrm{F}_{\mathrm{S}}=$ sample frequency in Hertz.

The real frequency, F , is related to the index k by $\mathrm{F}=\mathrm{kF}_{\mathrm{S}} / \mathrm{N}$, where the frequency spacing is $\mathrm{F}_{\mathrm{S}} / \mathrm{N}$. The DFT generates both real and image frequencies. From the Nyquist sampling criterion, $\mathrm{kF}_{\mathrm{S}} / \mathrm{N}<\mathrm{F}_{\mathrm{S}} / 2$, where the real frequencies are $\mathrm{k}<\mathrm{N} / 2$ and the image frequencies are k $\geq \mathrm{N} / 2$. The real and image frequencies have conjugate symmetry-i.e., Dataout(k) $=$ conjugate[Datain $(\mathrm{N}-\mathrm{k})$ ] for real sequences.

An example $10-\mathrm{V}, 50-\mathrm{ms}$ pulse waveform is shown in the figure. Three for () loops will generate this waveform:

POWER, ENERGY, AND VOLTAGE
k low $=0$ to k_high $=99(497.48 \mathrm{~Hz})$
$\begin{array}{lll}\mathrm{P}_{D C}=6.313 \text { watts; } & E_{D C}=1.256 \text { joules; } & V_{D C}=2.513 \text { volts } \\ \mathrm{P}_{\mathrm{TOT}}=25.126 \text { watts; } & \mathrm{E}_{\mathrm{TOT}}=5 \text { joules; } & V_{\text {RMS }}=5.013 \text { volts }\end{array}$

## AMPLITUDE SPECTRA AND DENSITIES

$\mathrm{k}=1(5.025 \mathrm{~Hz})$
complex-amplitude spectra $=(-0.450,0.0)$
magnitude $=0.450$ volt-secs; angle $=-3.142$ radians
PSD $=1.016$ watts $/ \mathrm{Hz}$
ESD $=0.202$ joules $/ \mathrm{Hz}$
VSD $=1.008$ volts $/ \sqrt{\mathrm{Hz}}$
2. The DFT results of the sample pulse waveform in Figure 1

$$
\text { for( } \mathrm{n}=0 ; \mathrm{n}<75 ; \mathrm{n}++ \text { ) a(n) are shown. }
$$

ates the same number of real and image frequencies. However, the program will accept even values of N and will make the required adjustment in the value of N .

A 1024-point DFT was run on the $120-\mathrm{MHz}$ Pentium I and a $350-\mathrm{MHz}$ Pentium II. The respective run times were approximately eight and two seconds. For slower platforms, a run indicator is included. $\boldsymbol{\square}$

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